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# Quantile Plotting Distribution Optimization Library for transforming data

## USER GUIDE

Prepared by:

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UNIVERSITY OF GEORGIA

EXTENSION

Version 1.0

# Presentation Overview

**Quantile Plotting Distribution Optimization Library**

I started adjusting to 1300 data points and haven't finished

Pronounced: "Kewpie Doll Dot E X E"

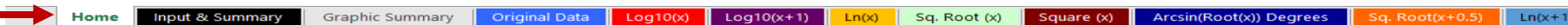
Version 1.1

A workbook to compare methods of transforming data to normalize distributions

Reference: M.S. Bartlett, THE USE OF TRANSFORMATIONS, Biometrics (1947) 3, 39-52

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This workbook was developed from: [http://alamos.math.arizona.edu/~rychlik/math263\\_old/ExcelAssignments/Assignment2/QQPlot.pdf](http://alamos.math.arizona.edu/~rychlik/math263_old/ExcelAssignments/Assignment2/QQPlot.pdf)



## Tab Description

- 1) Home
- 2) Input & Summary – The place to input data and view the results. All inputs should be entered in this spreadsheet only.
- 3) Graphic Summary – Shows the frequency distributions of original and transformed data.
- 4) Original Data – Shows the normal quantile plot and frequency distribution of the original data.
- 5)  $\text{Log}_{10}(x)$  – Shows the normal quantile plot and the frequency distribution of the data transformed into  $\text{Log}_{10}$  space.
- 6) Worksheets 5 to 20 – Each shows the normal quantile plot and the frequency distribution of the data transformed according to the model for each worksheet.
- 7) Worksheets 21 and 22 - Are new worksheets to insert additional transformations.
- 8) Worksheet 23 – Normal distribution generator based on input mean and standard deviation values.
- 9) Worksheet 24 – Normal distribution generator to view multiple simulations with different numbers of data points.
- 10) Worksheet 25 – Example data [http://alamos.math.arizona.edu/~rychlik/math263\\_old/ExcelAssignments/Assignment2/QQPlot.pdf](http://alamos.math.arizona.edu/~rychlik/math263_old/ExcelAssignments/Assignment2/QQPlot.pdf) used to develop this workbook

② Clear the original data from column B

# [Step 1] Open Input & Summary

Original Data		Ranked Data											
1		#NUM!											
2		#NUM!											
3		#NUM!											
4		#NUM!											
5		#NUM!											
6		#NUM!											
7		#NUM!											
8		#NUM!											
9		#NUM!											
10		#NUM!											
11		#NUM!											
12		#NUM!											
13		#NUM!											
14		#NUM!											
15		#NUM!											
16		#NUM!											
17		#NUM!											
18		#NUM!											
19		#NUM!											
20		#NUM!											
21		#NUM!											
22		#NUM!											
23		#NUM!											
24		#NUM!											
25		#NUM!											
26		#NUM!											
27		#NUM!											
28		#NUM!											
29		#NUM!											
30		#NUM!											
31		#NUM!											
32		#NUM!											
33		#NUM!											

Input your data into cells A2 to A1301 (up to 1300 points)  
 QQ Plots can be viewed on the various spreadsheets  
 Some data will need to be divided by a Factor (Below) to be in the proper range  
 Some transformations will not work if the data contains any 0's

Min	Max	Requirement	Factor	Transformation	R <sup>2</sup>	Improvement (%)	Qm	CV (%)	Mean	SD
0.00	0.0000		1	Original Data =	#DIV/0!		0.000	#DIV/0!	####	###
0.00	0.0000	x>0	1	Log <sub>10</sub> (x) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	Log <sub>10</sub> (x + 1) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000	x>0	1	Ln(x) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	Square Root (x) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	Square (x) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000	x<100	1	Arcsin(Root(x)) in degrees =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	Square Root (x+0.5)	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	Ln (x+1) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000	x<1	1	ArcSin(Root(x)) in radians =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000	x<1	1	ln[x/(1-x)] =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000	x<1	1	0.5ln [(1+x)/(1-x)] =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	Cubic Root (x) =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	1 / x^2 =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	1 / x =	#DIV/0!	####	0.000	#DIV/0!	####	###
0.00	0.0000		1	(1/lambda)*asinh(lambda*root(x+0.5))	#DIV/0!	####	0.0000	#DIV/0!	####	###
0.00	0.0000		1	(1/lambda)*asinh(lambda*root(x)) =	#DIV/0!	####	0.0000	#DIV/0!	####	###
0.00	0.0000		1	New 1	#DIV/0!	####	0.0000	#DIV/0!	####	###
0.00	0.0000		1	New 2	#DIV/0!	####	0.0000	#DIV/0!	####	###
Min or Max =					#DIV/0!	####	0.000	#DIV/0!		

Home
Input & Summary
Graphic Summary
Original Data
Log10(x)
Log10(x+1)
Ln(x)
Sq. Root (x)
Square (x)
Arcsin(Root(x)) Degrees
Sq. Root(x+0.5)
Ln(x+1)

① Open the spreadsheet "Input and Summary"  
 The original data will be entered in this worksheet

# [Step 2] Open Input & Summary

① Copy your "original" data and paste into Column B. This column is standardized for up to 1300 data points

③ This factor was inserted to help in the transformation of the data. Mathematical functions, such as Log, Ln, Arcosin, among others, require specific numbers to be used. Thus, if necessary, the user can use this factor, such as 1; 10; 100; 0.0001 or other multiple value of 10

Original Data		Ranked Data	
1	5.646	0.915	0.915
2	4.063	0.919	0.919
3	3.401	0.924	0.924
4	4.463	0.925	0.925
5	4.277	0.933	0.933
6	4.301	0.933	0.933
7	5.244	0.936	0.936
8	2.901	0.937	0.937
9	2.234	0.948	0.948
10	4.473	0.953	0.953
11	3.789	0.954	0.954
12	3.875	0.954	0.954
13	2.653	0.964	0.964
14	3.35	0.964	0.964
15	4.005	0.967	0.967
16	3.789	0.968	0.968
17	3.68	0.969	0.969
18	2.364	0.970	0.970
19	2.297	0.971	0.971
20	5.006	0.973	0.973
21	2.284	0.973	0.973
22	3.064	0.977	0.977
23	2.693	0.978	0.978
24	3.101	0.978	0.978
25	2.979	0.980	0.980
26	2.514	0.985	0.985
27	3.399	0.990	0.990
28	2.412	0.991	0.991
29	2.631	1.002	1.002
30	2.15	1.006	1.006
31	1.923	1.010	1.010
32	2.495	1.014	1.014
33	3.338	1.015	1.015

Input your data into cells A2 to A1301 (up to 1300 points)  
 QQ Plots can be viewed on the various spreadsheets  
 Some data will need to be divided by a Factor (below) to be in the proper range  
 Some transformations will not work if the data contains any 0's

Min	Max	Requirement	Factor	Transformation	R <sup>2</sup>	Improvement (%)	Qm	CV (%)	Mean	SD
0.92	6.8610		1	Original Data =	0.9556		126.818	43.0	2.71	1.17
-0.04	0.8364	x>0	1	Log <sub>10</sub> (x) =	0.9868	3.3	3099.720	48.7	0.39	0.19
0.28	0.8955		1	Log <sub>10</sub> (x + 1) =	0.9863	3.2	-978.661	24.4	0.55	0.13
-0.09	1.9259	x>0	1	Ln(x) =	0.9868	3.3	-978.661	48.7	0.90	0.44
0.96	2.6194		1	Square Root (x) =	0.9835	2.9	-110.018	21.7	1.61	0.35
0.84	47.0733		1	Square (x) =	0.8448	-11.6	-1246.672	85.7	8.72	7.48
#NUM!	#NUM!	x<100	1	Arcsin(Root(x)) in degrees =	#NUM!	#NUM!	#NUM!	#NUM!	#NUM!	###
1.19	2.7131		1	Square Root (x+0.5)	0.9799	2.5	-19122.097	18.1	1.76	0.32
0.65	2.0619		1	Ln (x+1) =	0.9863	3.2	3168.094	24.4	1.26	0.31
0.13	0.3534	x<1	1	ArcSin(Root(x)) in radians =	0.9835	2.9	393.875	22.1	0.21	0.05
#NUM!	#NUM!	x<1	1	ln[x/(1-x)] =	#NUM!	#NUM!	#NUM!	#NUM!	#NUM!	###
#NUM!	#NUM!	x<1	1	0.5ln [(1+x)/(1-x)] =	#NUM!	#NUM!	#NUM!	#NUM!	#NUM!	###
0.97	1.9002		1	Cubic Root (x) =	0.9875	3.3	1790.929	14.5	1.37	0.2
0.02	1.1944		1	1 / x^2 =	0.7847	-17.9	-60.973	95.3	0.24	0.23
0.15	1.0929		1	1 / x =	0.9190	-3.8	-478.996	45.7	0.45	0.2
0.80	1.1964		1	(1/lambda)*asinh(lambda*root(x+0.5))	0.9872	3.3	3889.248	8.9	0.98	0.09
0.70	1.1791		1	(1/lambda)*asinh(lambda*root(x)) =	0.9873	3.3	2380.3896	11.2	0.93	0.1
0.92	6.8610		1	New 1	0.9556	0.0				
0.92	6.8610		1	New 2	0.9556	0.0				

Min or Max = #NUM! #NUM!

② The data will be automatically sorted in ascending order for column D

④ When #NUM! appears, the data could not be transformed  
 Thus, it is necessary to use a factor other than 1 to obtain an acceptable data range

# [Step 2] Open Input & Summary

Some transformations require the data to be in some specific range. Analyzed data may have to be between 0 and 1, for instance.

Raw data is divided by the specified factors to get it in an acceptable range. For example 10.

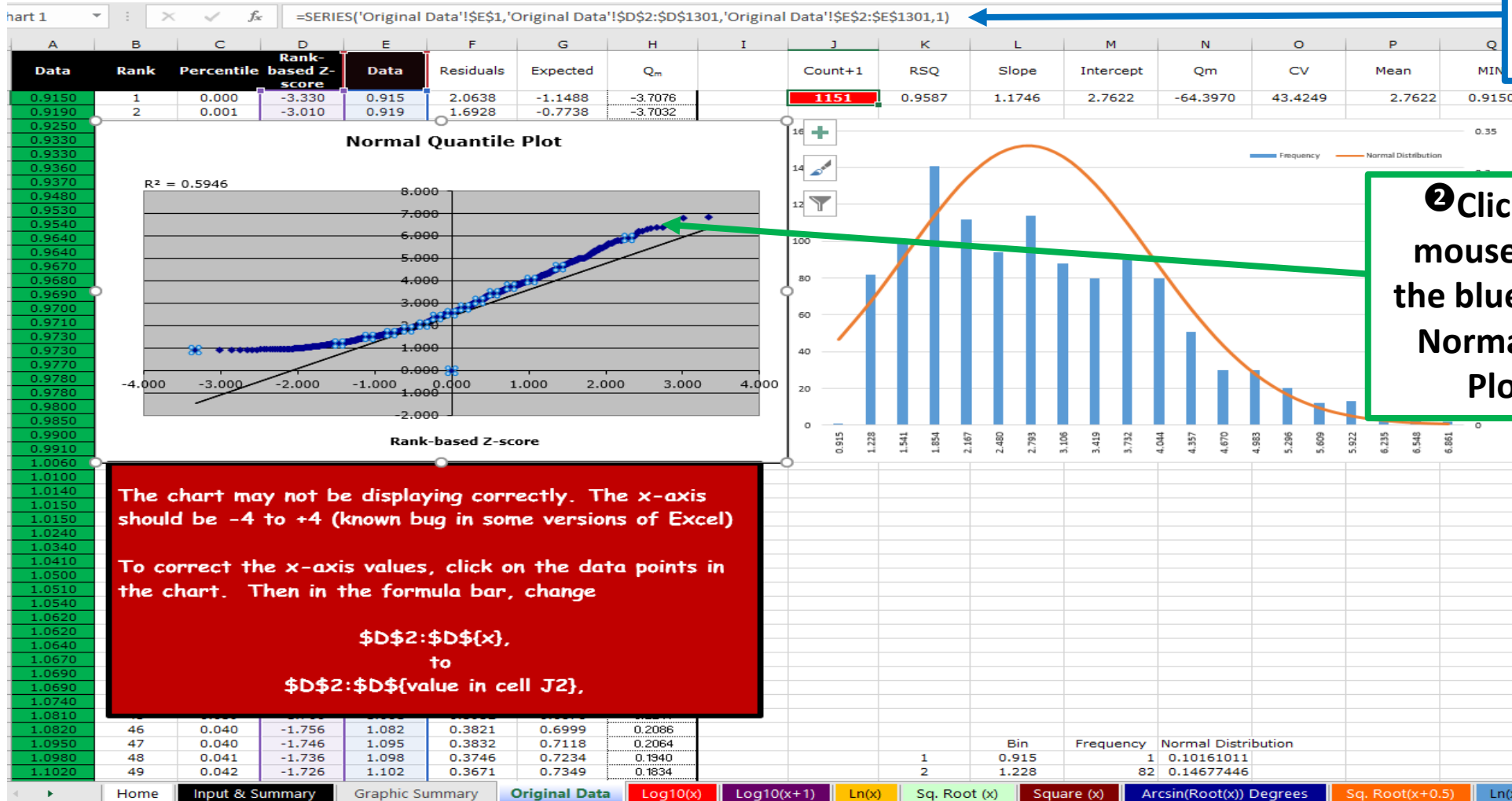
Original Data		Ranked Data											
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19	2.297	0.971	0.971										
20	5.006	0.973	0.973										
21	2.284	0.973	0.973										
22	3.064	0.977	0.977										
23	2.693	0.978	0.978										
24	3.101	0.978	0.978										
25	2.979	0.980	0.980										
26	2.514	0.985	0.985										
27	3.399	0.990	0.990										
28	2.412	0.991	0.991										
29	2.631	1.002	1.002										
30	2.15	1.006	1.006										
31	1.923	1.010	1.010										
32	2.495	1.014	1.014										
33	3.338	1.015	1.015										

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 Some transformations will not work if the data contains any 0's

Min	Max	Requirement	Factor	Transformation	R <sup>2</sup>	Improvement (%)	Qm	CV (%)	Mean	SD
0.92	6.8610		1	Original Data =	0.9556		126.818	43.0	2.71	1.17
-0.04	0.8364	x>0	1	Log <sub>10</sub> (x) =	0.9868	3.3	3099.720	48.7	0.39	0.19
0.28	0.8955		1	Log <sub>10</sub> (x +1) =	0.9863	3.2	-978.661	24.4	0.55	0.13
-0.09	1.9259	x>0	1	Ln(x) =	0.9868	3.3	-978.661	48.7	0.90	0.44
0.96	2.6194		1	Square Root (x) =	0.9835	2.9	-110.018	21.7	1.61	0.35
0.84	47.0733		1	Square (x) =	0.8448	-11.6	-1246.672	85.7	8.72	7.48
17.61	55.9257	x<100	10	Arcsin(Root(x)) in degrees =	0.9766	2.2	118.374	24.5	30.91	7.57
1.19	2.7131		1	Square Root (x+0.5)	0.9799	2.5	-19122.097	18.1	1.76	0.32
0.65	2.0619		1	Ln (x+1) =	0.9863	3.2	3168.094	24.4	1.26	0.31
0.13	0.3534	x<1	1	ArcSin(Root(x)) in radians =	0.9829	2.9	393.875	22.1	0.21	0.05
-2.30	0.7819	x<1	10	ln[x/(1-x)] =	0.9902	3.6	2701.983	57.0	-1.07	-0.6
0.09	0.8405	x<1	10	0.5ln [(1+x)/(1-x)] =	0.9373	-1.9	43.008	46.7	0.28	0.13
0.97	1.9002		1	Cubic Root (x) =	0.9875	3.3	1790.929	14.5	1.37	0.2
0.02	1.1944		1	1 / x^2 =	0.7847	-17.9	-603.973	95.3	0.24	0.23
0.15	1.0929		1	1 / x =	0.9190	-3.8	-478.196	45.7	0.45	0.2
0.80	1.1964		1	(1/lambda)*asinh(lambda*root(x+0.5))	0.9872	3.3	3889.2418	8.9	0.98	0.09
0.70	1.1791		1	(1/lambda)*asinh(lambda*root(x)) =	0.9873	3.3	2380.3896	11.2	0.93	0.1
0.92	6.8610		1	New 1	0.9556	0.0	711.9878	102.2	1.14	1.17
0.92	6.8610		1	New 2	0.9556	0.0	711.9878	43.0	2.71	1.17
Min or Max =					0.9902	3.6	-19122.097	8.9		

# [Step 3] Adjustments Needed

③ The toolbar will appear



② Click the right mouse button on the blue dots of the Normal Quantile Plot graph

① On "each" data transformation spreadsheet you are interested in, do the following:

# [Step 3] Adjustments Needed

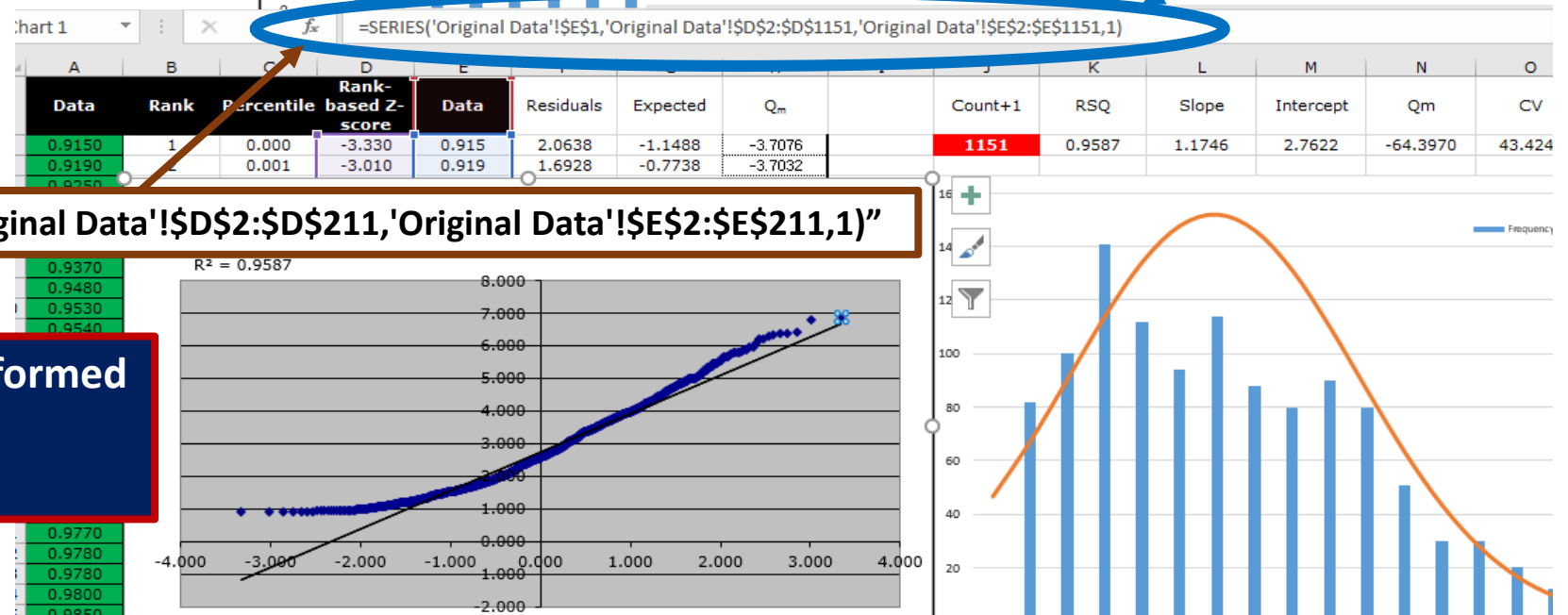
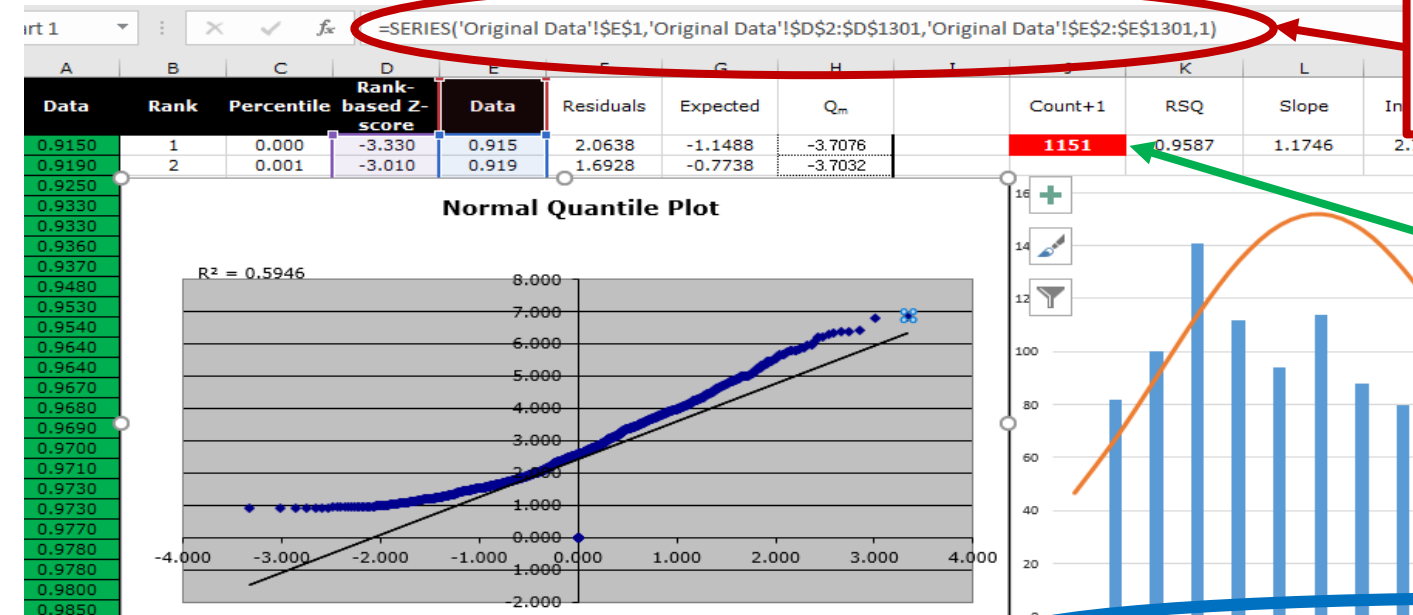
① Change the value that appears here (in this case, for example) “=SERIES('Original Data'!\$E\$1,'Original Data'!\$D\$2:\$D\$1301,'Original Data'!\$E\$2:\$E\$1301,1)”...

② ...By the value that appears in cell J2...

③ ...Resulting in this equation...

④ ... “=SERIES('Original Data'!\$E\$1,'Original Data'!\$D\$2:\$D\$211,'Original Data'!\$E\$2:\$E\$211,1)”

⑤ This procedure should be performed on all other worksheets “5 and 20 worksheets”

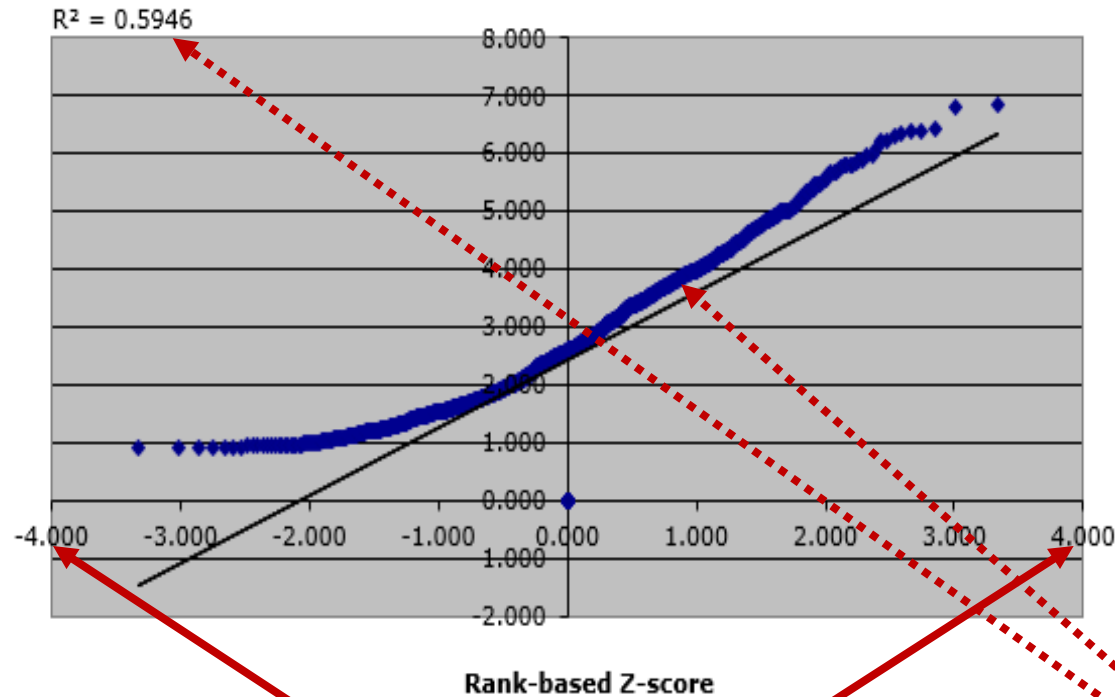




# [Step 3] Adjustments Needed

Before the Adjustment

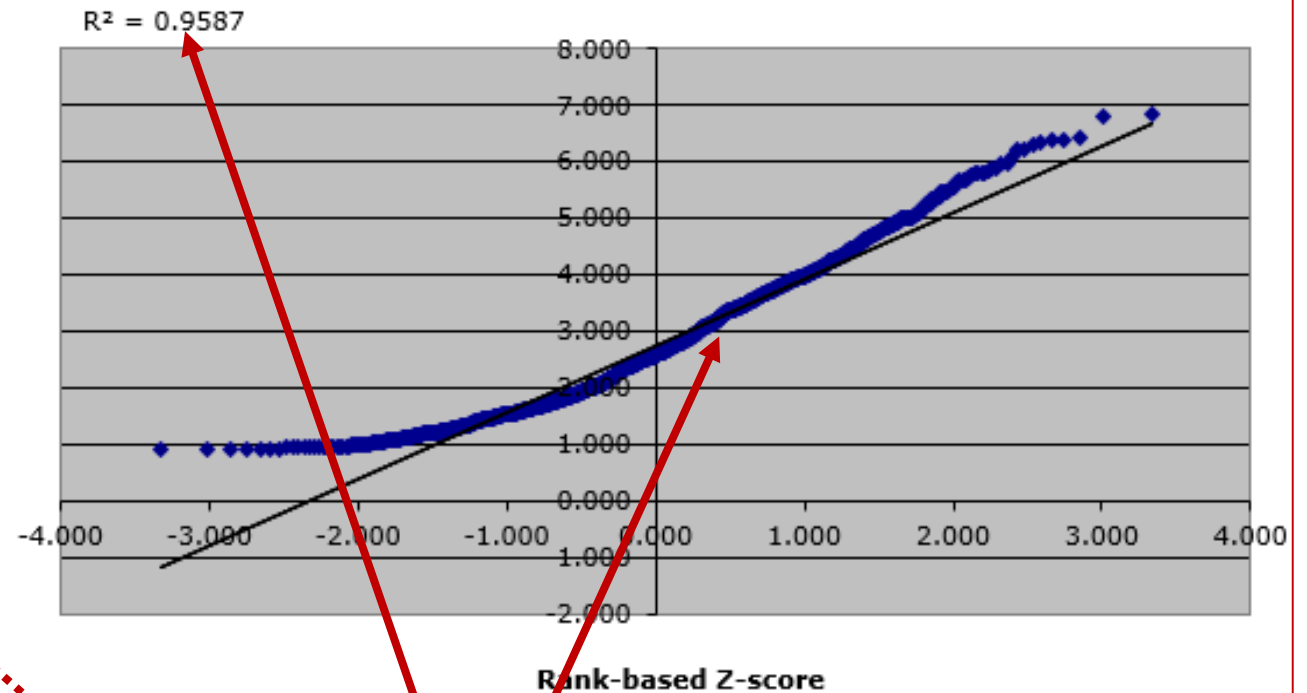
Normal Quantile Plot



Observe that the x-axis should be -4 to +4

After the Adjustment

Normal Quantile Plot



CHANGES OCCUR IN GRAPHIC AND IN  $R^2$



# [Step 4] Reading Outputs

①  $R^2$  and CV values for normal distributions of original and transformed data

② Mean and SD of the original and transformed data

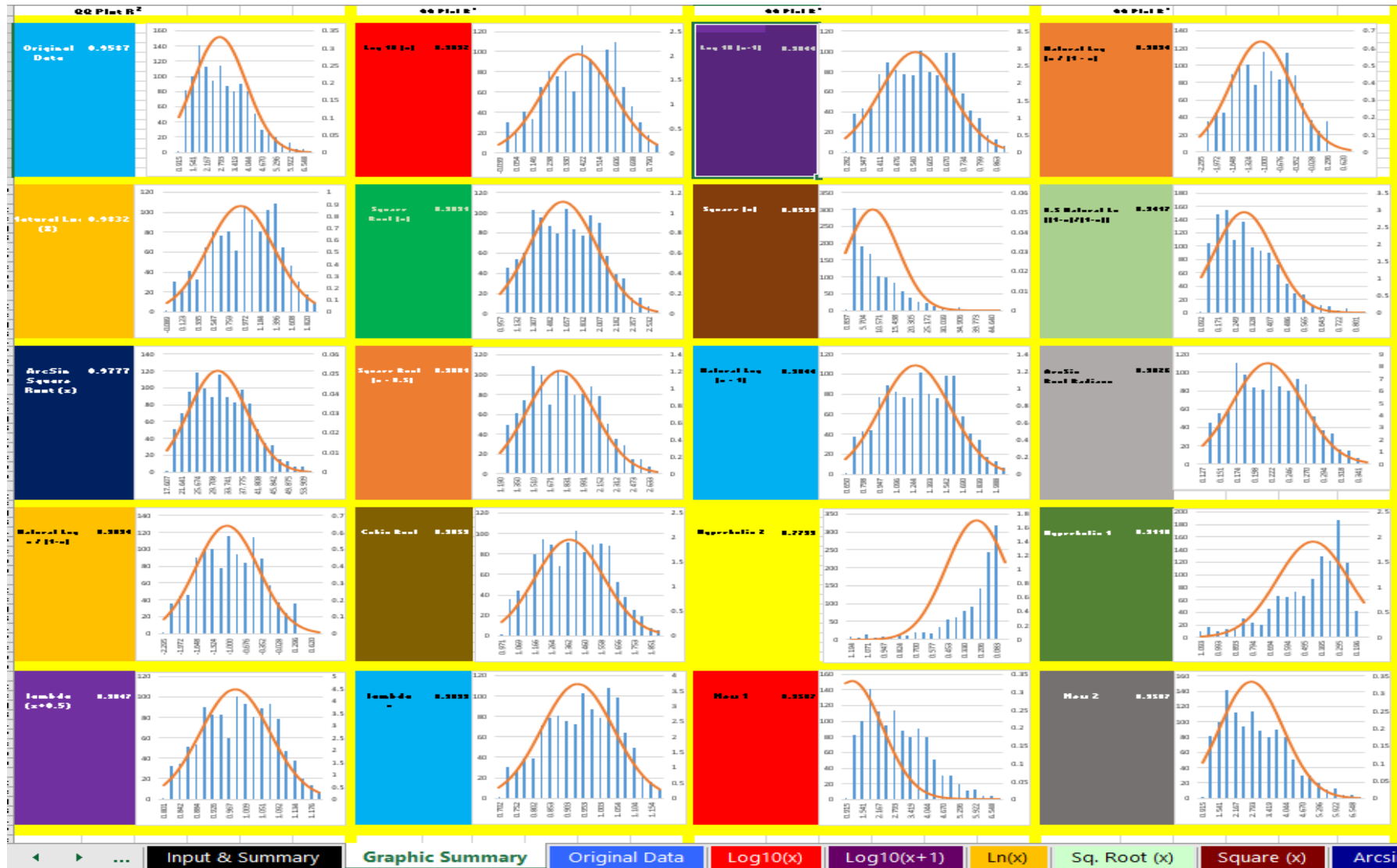
③ The best results will appear highlighted

④ Summary of the best results

Input your data into cells A2 to A1301 (up to 1300 points)  
 QQ Plots can be viewed on the various spreadsheets  
 Some data will need to be divided by a Factor (Below) to be in the proper range  
 Some transformations will not work if the data contains any 0's

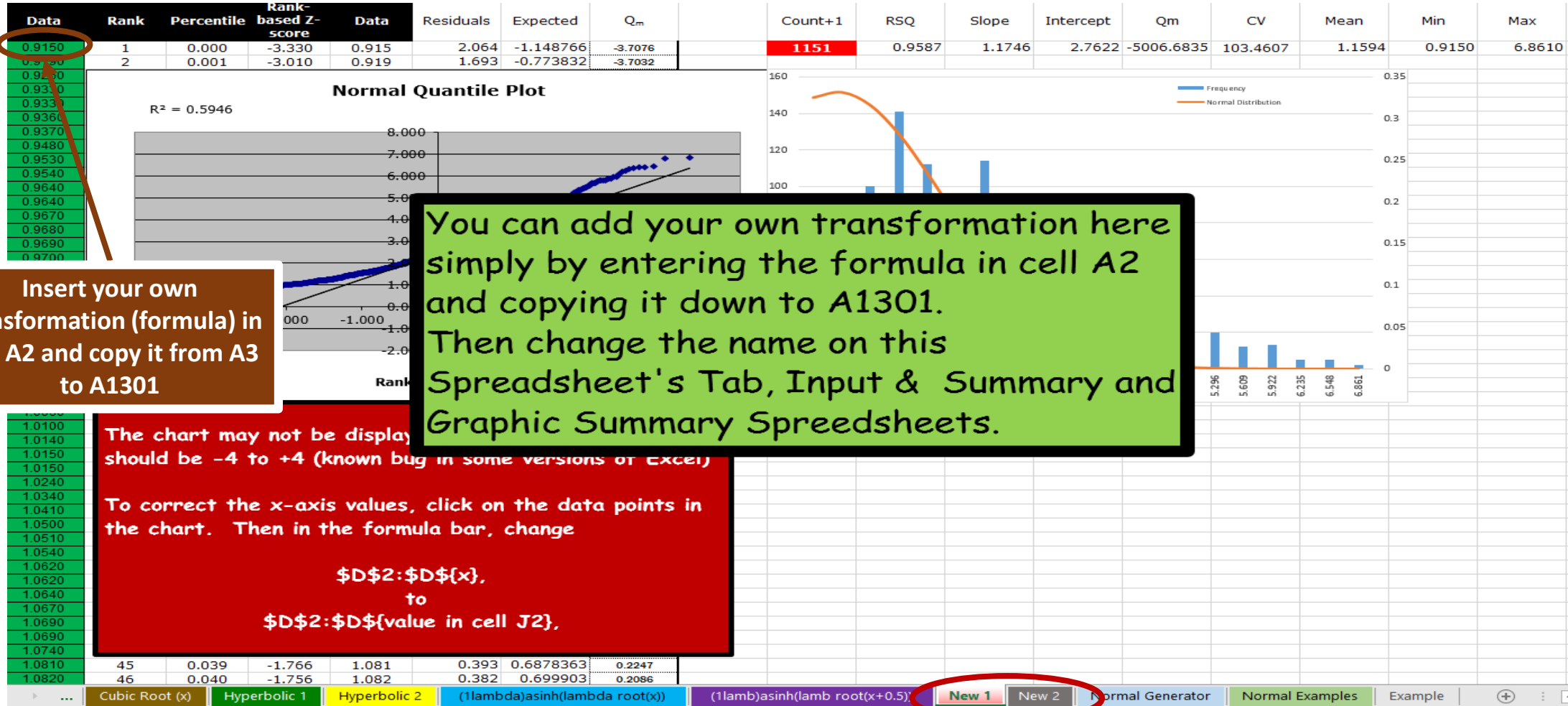
Min	Max	Requirement	Factor	Transformation	$R^2$	Improvement (%)	Qm	CV (%)	Mean	SD
0.92	6.8610		1	Original Data =	0.9587		-64.397	43.4	2.76	1.2
-0.04	0.8364	$x > 0$	1	$\text{Log}_{10}(x) =$	0.9832	2.6	718.104	49.0	0.40	0.2
0.28	0.8955		1	$\text{Log}_{10}(x + 1) =$	0.9844	2.7	103.725	24.8	0.55	0.14
-0.09	1.9259	$x > 0$	1	$\text{Ln}(x) =$	0.9832	2.6	103.725	49.0	0.92	0.45
0.96	2.6194		1	Square Root (x) =	0.9831	2.5	3538.142	22.1	1.62	0.36
0.84	47.0733		1	Square (x) =	0.8539	-10.9	1426.911	85.3	9.07	7.74
17.61	55.9257	$x < 100$	10	$\text{Arcsin}(\text{Root}(x))$ in degrees =	0.9777	2.0	111.396	24.9	31.20	7.77
1.19	2.7131		1	Square Root (x+0.5)	0.9801	2.2	-3711.509	18.4	1.78	0.33
0.65	2.0619		1	$\text{Ln}(x+1) =$	0.9844	2.7	1208.193	24.8	1.28	0.32
0.13	0.3534	$x < 1$	1	$\text{ArcSin}(\text{Root}(x))$ in radians =	0.9826	2.5	-428.346	22.4	0.22	0.05
-2.30	0.7819	$x < 1$	10	$\text{Ln}[x/(1-x)] =$	0.9894	3.2	2380.507	59.7	-1.05	-0.6
0.09	0.8405	$x < 1$	10	$0.5 \text{Ln} [(1+x)/(1-x)] =$	0.9417	1.9	-21.309	47.2	0.29	0.14
0.97	1.9002		1	Cubic Root (x) =	0.9159	2.3	-2929.789	14.8	1.37	0.2
0.02	1.1944		1	$1 / x^2 =$	0.7793	-18.7	-475.730	97.9	0.24	0.23
0.15	1.0929		1	$1 / x =$	0.9118	-4.9	-2408.960	47.1	0.44	0.21
0.80	1.1964		1	$(1/\lambda) * \text{asinh}(\lambda * \text{root}(x+0.5)) =$	0.9847	2.7	-1458.0124	11.4	0.98	0.09
0.70	1.1791		1	$(1/\lambda) * \text{asinh}(\lambda * \text{root}(x)) =$	0.9839	2.6	-262.8375	11.4	0.94	0.11
0.92	6.8610		1	New 1	0.9587	0.0	-5006.6835	103.5	1.16	1.2
0.92	6.8610		1	New 2	0.9587	0.0	-5006.6835	43.4	2.76	1.2
Min or Max =					0.9894	3.2	-5006.683	9.0		

# [Step 4] Reading Outputs



Graphics of normal distributions for each transformation

# [Step 5] New transformations



There are two worksheets for inserting transformations which aren't presented here

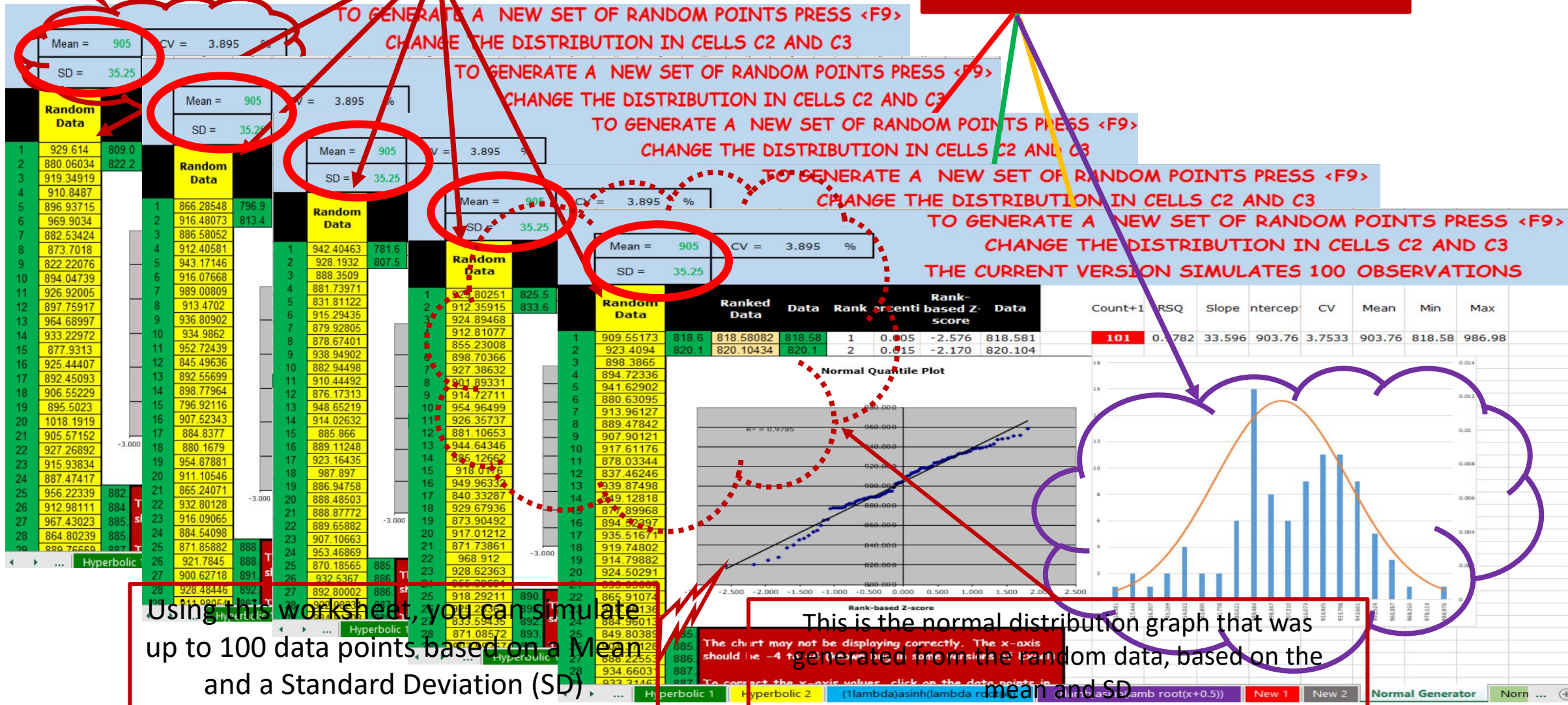


# The Current Version Simulates

Enter the values of the Mean and SD

By Pressing <F9>  
New data will be generated with the same Mean and SD

Note that the data may differ in their normal distribution



# Important points

① This workbook is a tool for interpreting the impact of transforming data for analysis and planning purposes.

② There is no objective criteria for deciding that one transformation is better than another.

③ If you decide it is more appropriate to use transformed data when planning an experiment, the workbook ITSEPG may be helpful for graphing the inverse transformed data power curves.